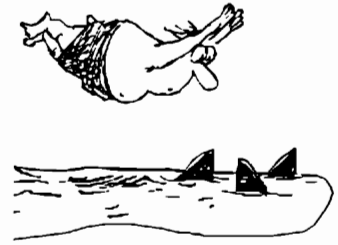
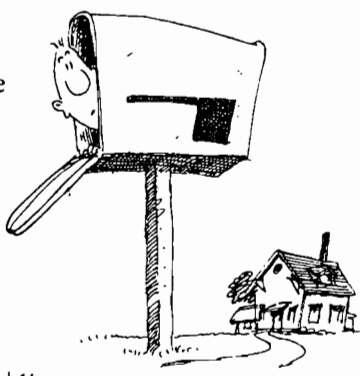


23. $\sqrt{16^{16}} =$ A) 16^8 B) 16^4 C) 4^8 D) 4^4	23.
24. If a circle's area is 3600π , then its circumference is A) 60 B) 60π C) 120 D) 120π	24.
25. The cheapest way to move is by mail, so each time I move, I mail myself to my new home. I've done this as many times as the number of different integers that satisfy $(n^2-1)(n^2-2)(n^2-3) = 0$. How many times did I move by mail? A) 1 B) 2 C) 3 D) 6	25.
26. $\frac{1}{x} + \frac{1}{y} + \frac{1}{xy} = \frac{?}{xy}$ A) 2 B) 3 C) $x+y+1$ D) $x+y$	26.
27. If the sum of the squares of two numbers is equal to the square of their sum, then the product of these two numbers must be A) 0 B) 1 C) 4 D) 16	27.
28. $[(x+1)^2+(x+2)^2+(x+3)^2] - [(x^2+1^2)+(x^2+2^2)+(x^2+3^2)] =$ A) 0 B) $6x$ C) $9x$ D) $12x$	28.
29. The number of fish that swam with me is the sum of the digits of the largest integer x which satisfies $\frac{x}{x+1} < \frac{2004}{2005}$. How many fish swam with me? A) 4 B) 5 C) 6 D) 7	29.
30. For how many different integral values of b are both roots of $x^2+bx-16 = 0$ integers? A) 3 B) 4 C) 5 D) 6	30.



The end of the contest **A**

Visit our Web site at <http://www.mathleague.com>
 Steven R. Conrad, Daniel Flegler, and Jeannine Kolbush, contest authors



Sample Algebra I Contest

Spring, 2005

Instructions

A

- Time** Do *not* open this booklet until you are told by your teacher to begin. You will have only *30 minutes* working time for this contest. You might be *unable* to finish all 30 questions in the time allowed.
- Scores** Please remember that *this is a contest, not a test*—and there is no “passing” or “failing” score. Few students score as high as 24 points (80% correct). Students with half that, 12 points, *should be commended!*
- Format and Point Value** This is a multiple-choice contest. Each answer will be one of the *capital letters* A, B, C, or D. Write each answer in the *Answer Column* to the right of each question. We suggest (but do not require) that you use a pencil. Each question you answer correctly is worth 1 point. Unanswered questions receive no credit. You **may** use a calculator *unless* your school does *not* allow you to use one.

Please Print

Last Name _____ First Name _____

School _____ Teacher _____ Grade Level _____

Do Not Write In The Space Below

To the Teacher:
 Please enter the student's score at the right before you return this paper to the student. **Student's Score:** _____

The school's top scorer will receive the book *Math Contests—High School (Vol. 3)*. Other high scorers will receive Certificates of Merit. In any one school year, no student may win both a book and a certificate. The book and certificates were in the original contest package.

If needed, duplicate book awards may be ordered as described below.

Fifteen books of past contests, *Grades 4, 5, & 6 (Vols. 1, 2, 3, 4, 5)*, *Grades 7 & 8 (Vols. 1, 2, 3, 4, 5)*, and *High School (Vols. 1, 2, 3, 4, 5)*, are available, for \$12.95 per volume (\$15.95 Canadian), from Math League Press, P.O. Box 17, Tenafly, N.J. 07670-0017.

1. $1^{2005} + 1^{2005} =$
A) 1^{4010} B) 2^1 C) 2^{2005} D) 2^{4010}

2. From n piles of 12 coconuts each, I am able to make $?$ piles of 3 coconuts each.
A) $n+3$ B) $n+4$ C) $3n$ D) $4n$

3. $x^{400} \div x^{100} =$
A) x^{500} B) x^{300} C) x^4 D) 4

4. $(-1)^1 + (-1)^2 + (-1)^3 + \dots + (-1)^{98} + (-1)^{99} =$
A) 1 B) 0 C) -1 D) -99

5. If $x^2 - y^2 = 10$, and $x + y = 10$, then $x - y =$
A) 1 B) -1 C) 10 D) -10

6. The total value of $2x$ nickels and x dimes is 60¢ when $x =$
A) 6 B) 4 C) 3 D) 2

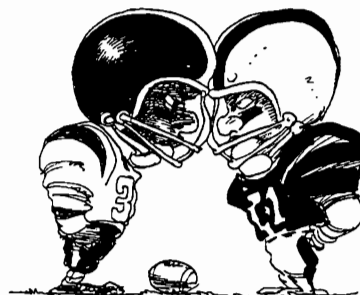
7. The least common multiple of 2, 4, and 8 is
A) 2 B) 8 C) 16 D) 64

8. $2 = \sqrt{8} \div ?$
A) 4 B) $\sqrt{6}$ C) $\sqrt{4}$ D) $\sqrt{2}$

9. There are 6 more football players wearing dark helmets than wearing light ones. The ratio of dark helmets to light is 2:1. The number of light helmets is
A) 2 B) 3 C) 6 D) 12

10. The graph of $?$ is parallel to the graph of $2x + y = -3$.
A) $2x + y = 3$ B) $2x + 4y = 6$ C) $2x - y = 3$ D) $x + 2y = -3$

11. Of 5 consecutive integers whose average is x , the smallest is
A) $x-2$ B) $x-3$ C) $x-4$ D) $x-5$



12. Of 5 consecutive *even* integers whose average is x , the smallest is
A) $x-2$ B) $x-3$ C) $x-4$ D) $x-5$

13. The greatest common factor of 2^{2004} and 2^{2005} is
A) 1 B) 2 C) 2^{2004} D) 2^{2005}

14. I ran away with a big prize when I was the 7th caller to know that the slope of every horizontal line is
A) 0 B) 1 C) -1 D) nonexistent

15. If 10% of a is b , then $a =$
A) $0.1b$ B) b C) $9b$ D) $10b$

16. For which of the following is n^n the square of an integer?
A) $n = 3$ B) $n = 5$ C) $n = 6$ D) $n = 7$

17. If $k = ?$, then the two roots of $x^2 + 4x + k = 0$ are equal.
A) 1 B) 2 C) 3 D) 4

18. Jesse has worn the same hat for d years. If he wears it for 12 more years, he will have worn this hat for d^2 years. For how many years has Jesse worn this hat?
A) 4 B) 6 C) 8 D) 12

19. $|x| + |-x| =$
A) 0 B) $|x|$ C) $|-x|$ D) $2|x|$

20. Circle C 's center is $(0,0)$, and the length of C 's radius is 5. Which of the following are the coordinates of a point on C ?
A) $(0,5)$ B) $(-5,-5)$ C) $(-10,0)$ D) $(5,5)$

21. For primes a and b , if $a > b$, then ab has $?$ unequal positive factors.
A) 4 B) 3 C) 2 D) 1

22. The product of $?$ and x^{100} has the same value as $(-x)^{100}$.
A) 100 B) 1 C) -1 D) -100

